

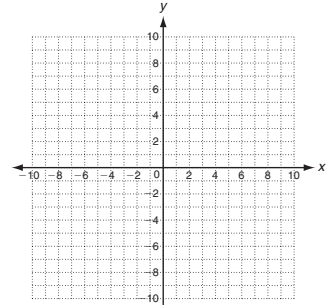


LESSON
5-9

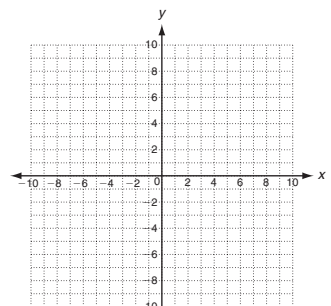
Practice B
Transforming Linear Functions

Graph $f(x)$ and $g(x)$. Then describe the transformation from the graph of $f(x)$ to the graph of $g(x)$.

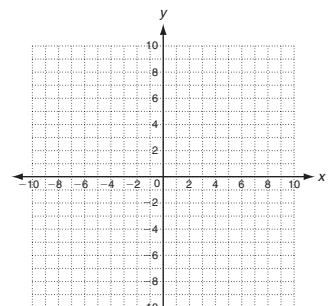
1. $f(x) = x; g(x) = x + 3$



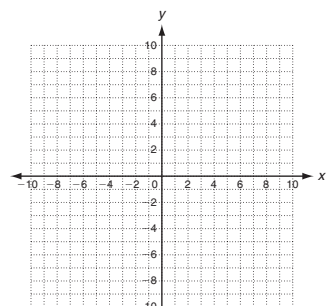
2. $f(x) = \frac{1}{3}x - 4; g(x) = \frac{1}{4}x - 4$



3. $f(x) = x; g(x) = 2x - 5$



4. Graph $f(x) = -3x + 1$. Then reflect the graph of $f(x)$ across the y -axis. Write a function $g(x)$ to describe the new graph.



5. The cost of hosting a party at a horse farm is a flat fee of \$250, plus \$5 per person. The total charge for a party of x people is $f(x) = 5x + 250$. How will the graph of this function change if the flat fee is lowered to \$200? if the per-person rate is raised to \$8?



LESSON

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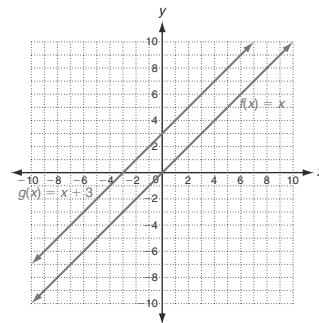
Practice B

Transforming Linear Functions

Graph $f(x)$ and $g(x)$. Then describe the transformation from the graph of $f(x)$ to the graph of $g(x)$.

1. $f(x) = x; g(x) = x + 3$

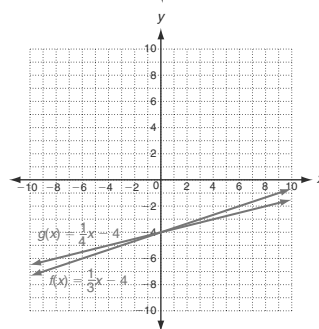
translation 3 units up



2. $f(x) = \frac{1}{3}x - 4; g(x) = \frac{1}{4}x - 4$

rotation (less steep)

about $(0, -4)$

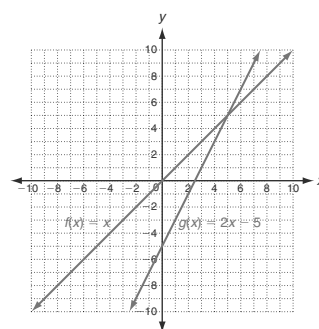


3. $f(x) = x; g(x) = 2x - 5$

rotation (steeper) about

$(0, 0)$ and translation

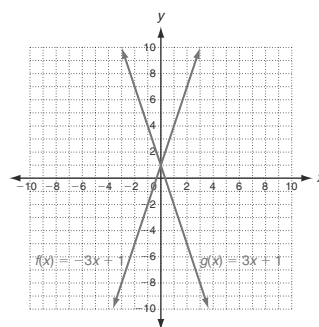
5 units down



4. Graph $f(x) = -3x + 1$. Then reflect the graph of $f(x)$ across the y -axis. Write a function $g(x)$ to describe the new graph.

$g(x) = 3x + 1$

5. The cost of hosting a party at a horse farm is a flat fee of \$250, plus \$5 per person. The total charge for a party of x people is $f(x) = 5x + 250$. How will the graph of this function change if the flat fee is lowered to \$200? if the per-person rate is raised to \$8?



The graph will be translated 50 units down.

The graph will be rotated about $(0, 250)$ and become steeper.



LESSON
5-9

Problem Solving

Transforming Linear Functions

Write the correct answer.

- The number of camp counselors at a day camp must include 1 counselor for every 8 campers, plus 3 camp directors. The function describing the number of counselors is $f(x) = \frac{1}{8}x + 3$ where x is the number of campers. How will the graph change if the number of camp directors is reduced to 2?

- A city water service has a base cost of \$12 per month plus \$1.50 per hundred cubic feet (HCF) of water. Write a function $f(x)$ to represent the cost of water as a function of x , amount used. Then write a second function $g(x)$ to represent the cost if the rate rises to \$1.60 per HCF.

- Owen earns a base salary plus a commission that is a percent of his total sales. His total weekly pay is described by $f(x) = 0.15x + 325$, where x is his total sales in dollars. What is the change in Owen's salary plan if his total weekly pay function changes to $g(x) = 0.20x + 325$?

How would the graph of $g(x)$ compare to the graph of $f(x)$?

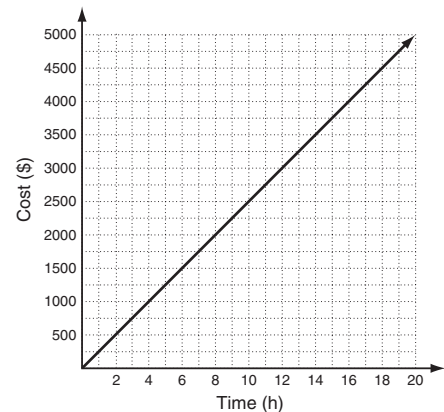
An attorney charges \$250 per hour. The graph represents the cost of the attorney as a function of time. Select the best answer.

- When a traveling fee is added to the attorney's rate for cases outside the city limits, the graph is translated up 50 units. What function $h(x)$ would describe the attorney's rate with the traveling fee?

- A $h(x) = 250x - 50$
- B $h(x) = 250x + 50$
- C $h(x) = 200x$
- D $h(x) = 300x$

- The attorney's paralegal has an hourly rate of \$150. How would you transform the graph of $f(x)$ into a graph for the paralegal's rate?

- F Reflect it over the y -axis.
- G Translate it down 100 units.
- H Translate it to the left 100 units.
- J Rotate it clockwise about $(0, 0)$.



- Which hourly rate would NOT make the attorney's graph steeper?

- A \$225
- B \$275
- C \$300
- D \$325



LESSON
5-9

Problem Solving

Transforming Linear Functions

Write the correct answer.

1. The number of camp counselors at a day camp must include 1 counselor for every 8 campers, plus 3 camp directors. The function describing the number of counselors is $f(x) = \frac{1}{8}x + 3$ where x is the number of campers. How will the graph change if the number of camp directors is reduced to 2?

translation 1 unit down

3. Owen earns a base salary plus a commission that is a percent of his total sales. His total weekly pay is described by $f(x) = 0.15x + 325$, where x is his total sales in dollars. What is the change in Owen's salary plan if his total weekly pay function changes to $g(x) = 0.20x + 325$?

**His commission is
raised to 20%.**

2. A city water service has a base cost of \$12 per month plus \$1.50 per hundred cubic feet (HCF) of water. Write a function $f(x)$ to represent the cost of water as a function of x , amount used. Then write a second function $g(x)$ to represent the cost if the rate rises to \$1.60 per HCF.

$$f(x) = 1.50x + 12$$

$$g(x) = 1.60x + 12$$

How would the graph of $g(x)$ compare to the graph of $f(x)$?

**it would be rotated
about (0, 12), steeper.**

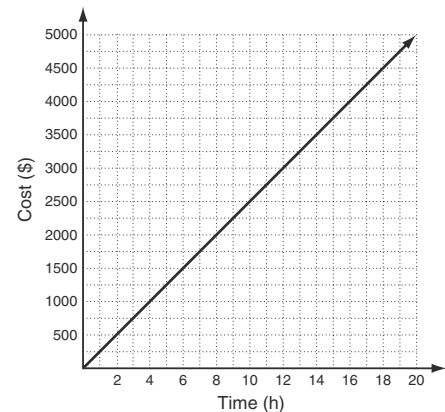
An attorney charges \$250 per hour. The graph represents the cost of the attorney as a function of time. Select the best answer.

4. When a traveling fee is added to the attorney's rate for cases outside the city limits, the graph is translated up 50 units. What function $h(x)$ would describe the attorney's rate with the traveling fee?

- A** $h(x) = 250x - 50$
B $h(x) = 250x + 50$
C $h(x) = 200x$
D $h(x) = 300x$

5. The attorney's paralegal has an hourly rate of \$150. How would you transform the graph of $f(x)$ into a graph for the paralegal's rate?

- F** Reflect it over the y -axis.
G Translate it down 100 units.
H Translate it to the left 100 units.
J Rotate it clockwise about $(0, 0)$.



6. Which hourly rate would NOT make the attorney's graph steeper?

- A** \$225 **C** \$300
B \$275 **D** \$325